

Discussion of
Global Production with Export Platforms

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NBER ITI Summer Institute
Boston, July 2013

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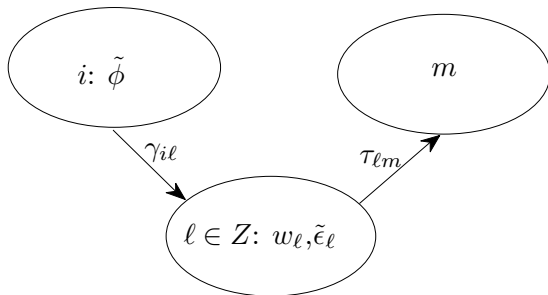
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 - Where should firms locate production in a global economy?
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- Closely related to ARRY (2013)
 - abstract from proximity-concentration trade-off and focus on specialization between innovation and production
 - This paper shuts down specialization and reintroduces proximity-concentration trade-off

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 - abstract from proximity-concentration trade-off and focus on specialization between innovation and production
 - This paper shuts down specialization and reintroduces proximity-concentration trade-off
- Very elegant solution to a complex problem

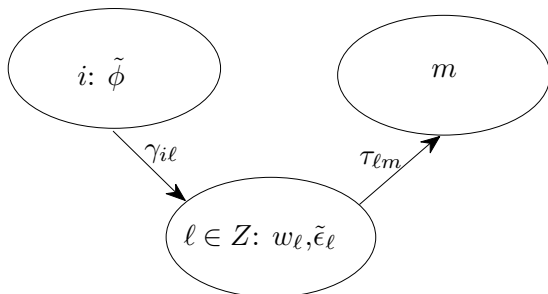
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- **New:** continuum of products per firm (EK at the firm level):

$$\tilde{c}_{\ell m}^i \sim \frac{\gamma_{il} w_{\ell} \tau_{\ell m}}{\tilde{\epsilon}_{\ell}} \quad \Rightarrow \quad p_m(\phi; Z) = \frac{\sigma}{\sigma - 1} \frac{\tilde{c}_m^i(Z)}{\phi},$$

$$\tilde{\mu}_{\ell m}^i(Z) \sim \left(\frac{\tilde{\epsilon}_{\ell}}{\gamma_{il} w_{\ell} \tau_{\ell m}} \right)^{\theta} \quad \text{for } \ell \in Z$$

Setup II

- **Stage 1:** choice of production locations Z

$$Z^i(\eta; \phi) = \arg \max_Z \left\{ \sum_m \pi_m(\phi; Z) - \sum_{\ell \in Z} \eta_\ell w_\ell \right\}$$

Computationally intensive set search problem

Setup II

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- **Assumptions:**
 - ① No endogenous entry (*cf.* ARRY)
— finite draws (\sim EKS, 2013) versus LLN plus fixed costs
 - ② No fixed cost of exporting
 - ③ No production complementarities between firm's products
 - ④ No market power of the firm

Exercises

- ① Partial equilibrium location choice of German firms:
 - Identification:
 - Conditional on Z , distribution of sales determines $\{\gamma_{ie} w_e \tau_{em}\}$
 - The choice of Z identifies the distribution of $\{\eta_i w_e\}$
 - Fit:
 - What does a good fit of location choice mean: η versus γ_{ie} ?
 - What is the explanatory power of the model: role of γ_{ie} & ϕ ?
 - Contrast with alternatives (e.g., no fixed costs)

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② General equilibrium calibration of platform sales:

- Moments:

- expenditure share by country pair, ξ_{lm}
- platform production, κ_{il}

- Targets: γ_{il} , τ_{lm} and η_{il}

- What is the link between the two exercises? Are we getting different answers? Where do fixed costs have a bite?

Conclusion

- Very elegant solution to a methodological challenge
- Already provides interesting insights into conceptual issues
- I foresee a lot of fruitful applications of this methodology